

**Listing of Claims**

1. (Previously Amended)

A method for calculating the multiplicative inverse of an odd binary number,  $A$ , modulo  $R$ , where  $R$  is a positive integer power of two,  $2^k$ , said method comprising the steps of:

initializing a first storage element having  $k$  bits, for a variable  $S$ , to a binary 1;

initializing a second storage element having  $k$  bits, for a variable  $Q$ , with the number  $A$  whose multiplicative inverse modulo  $R$  is to be determined;

for sequential values of  $i$  running from 1 to  $k - 1$ , carrying out the following operations:

(a) shifting the contents of the second storage element right by one bit position;

(b) determining the current rightmost bit in said second storage element; and

(c) upon said rightmost bit position being determined to be a 1, increasing the value stored in said first storage element by  $2^i$  and increasing the value stored in said second storage element by  $A$ .

2. (Previously Amended)

A method for calculating the negative multiplicative inverse of an odd binary number,  $A$ , modulo  $R$ , where  $R$  is a positive integer power of two,  $2^k$ , said method comprising the steps of:

initializing a first storage element having  $k$  bits, for a variable  $S$ , to a value of  $2^{k-1}$ ;

initializing a second storage element having  $k$  bits, for a variable  $Q$ , with the number  $A$  whose negative multiplicative inverse modulo  $R$  is to be determined;

for sequential values of  $i$  running from 1 to  $k - 1$ , carrying out the following operations:

(a) shifting the contents of the second storage element right by one bit position;

(b) determining the current rightmost bit in said second storage element; and

(c) upon said rightmost bit position being determined to be a 1, decreasing the value stored in said first storage element by  $2^i$  and increasing the value stored in said second storage element by  $A$ .

3. (Previously Amended)

A circuit for determining the negative multiplicative inverse of an odd binary number  $A$ , modulo  $R$ , where  $R$  is a positive power of two,  $2^k$ , said circuit comprising:

a first  $k$  bit register, for storing a variable  $S$ ;

a second  $k$  bit register, for storing a variable  $Q$ ;

a third  $k$  bit register, for storing said number  $A$ ;

a counter capable of counting from 1 to  $k - 1$ ;

a decoder receiving count output from said counter;

means for setting bits from said decoder into said first register upon the condition that the next to rightmost bit in said second register is a one;

an adder having as a first input the leftmost  $k - 1$  bits of said second register, and a second input from said third register said second input being conditioned on the next to rightmost bit in said second register, with the output of said adder being supplied to said second register; and

a multiplexor, having  $k$  bits, whose output is supplied as input to said second register and whose inputs are selected from output of said adder upon the condition that said counter is greater than 1 and said third register upon the condition that said counter is equal to 1.